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## **Turnover in U. S. Agricultural Labor Markets**

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Agricultural workers move in and out of agriculture frequently. Migration between types of jobs takes relatively little time. Female workers tend to stay out of the U.S. labor market longer once they stop being employed and their access to jobs outside of agriculture is more limited than that of their male counterparts. Predictions made when the 1986 Immigration Reform and Control Act was passed that granting people amnesty would induce most of them to leave agriculture were incorrect.

Knowledge about labor migration patterns is important for policy analysis. For example in January 2001, Senator Phil Gramm proposed legislation granting amnesty to some seasonal agricultural workers who entered the country illegally and allowing additional guest workers to enter the country (who could replace legalized workers if they leave agriculture).<sup>1</sup> The debate on this and similar legislation is reminiscent of the heated discussions that immediately preceded and followed passage of the Immigration Reform and Control Act (IRCA) of 1986. IRCA granted amnesty to a substantial fraction of undocumented agricultural workers in the United States, entitling them to remain and work legally in this country under the Special Agricultural Worker (SAW) and Legally Authorized Worker (LAW) programs.<sup>2</sup> Based on beliefs about differences in labor migration patterns of legal and undocumented workers, various groups forecasted that passage of IRCA would have dire consequences for farmers and state governments.

Immediately before passage of IRCA, growers and several members of Congress predicted that undocumented agricultural workers who received amnesty would likely leave agriculture, thereby leading to a labor "shortage." Other groups claimed that workers who received amnesty would join the ranks of the unemployed and strain local welfare systems.

The group predicting shortages was particularly vocal. Various industry experts were quoted as concluding that (*Washington Post*)

The newly legalized aliens will suddenly find themselves with new options. Instead of remaining in low-profile jobs to evade the Immigration and Naturalization Service, they are expected to compete for better jobs (in Silicon Valley, in construction, and in various service industries).

Growers, then-Senator Peter Wilson of California, and other politicians claimed that such migrations would result in agricultural labor shortages that "would leave weather-sensitive crops rotting on the ground and cripple the \$23-billion perishable produce industry."<sup>3</sup>

Growers successfully lobbied Congress so that the final version of IRCA allowed for guest workers if "shortages" were observed.<sup>4</sup>

Immediately after passage of the law (but before officials knew how many workers would apply for amnesty), growers contended that IRCA had caused a crisis. Libby Whitley, executive vice president of the National Council of Agricultural Employers, stated that, because newly legal aliens would look for nonfarm jobs and that there would be "a sharp drop in the hiring of illegal aliens," a very significant shortfall would occur "sooner rather than later" (*New York Times*). A number of industry experts blamed passage of IRCA (*Journal of Commerce*)

for the worst labor shortage in 25 years at the northern end of the West's farm worker trail... Workers are needed to help harvests in Washington, Oregon and Idaho and to help irrigation in Montana, state officials said. Officials in Georgia report a shortage of some 1,000 workers... In Oregon, crop losses could exceed \$300 million unless more workers are found soon. Gov. Neil Goldschmidt has formed a task force to study ways to ease the worker shortage, which has resulted in the loss of about one-third of the state's strawberry crop. Washington's Gov. Booth Gardner has asked National Guard and prison officials to consider allowing troops and inmates to work in fields. And in Idaho, Gov. Cecil Andrus said he is prepared to provide "a large number" of inmates already authorized to work outside prison walls.

Overall, "The California Farm Bureau reported... that the supply of seasonal farmhands was 25 percent to 30 percent below the demand" (*New York Times*). (The Departments of Agriculture and Labor later determined that no shortage existed so that no guest workers had to be admitted under IRCA.)

While growers worried about worker shortages, other groups expressed concern that some workers would shift from agriculture to unemployment, imposing substantial costs on taxpayers (*Washington Post*):

The United States will undergo profound changes -- ranging from population and industry shifts to serious financial burdens on local governments with high immigrant populations -- in coming years as the new immigration law gradually takes effect, according to specialists on immigration and population issues... All the specialists agree that most of the illegal alien population is concentrated in small areas of the country and that local governments in those areas will face staggering financial problems that may not have been anticipated. ... While the law prohibits the newly legalized aliens from collecting federal welfare for five years, there is nothing to make them ineligible for local assistance programs...

For the predicted labor shortages and welfare crises to occur, several assumptions would have had to hold. A critical one was that workers who received amnesty would be more likely to flee agriculture than would undocumented workers. To estimate the probabilities of such flows between job-status categories, an economist needs to know the employment histories and legal status of agricultural workers. This information was unavailable prior to the U.S. Department of Labor's National Agricultural Worker's Survey (NAWS), which was mandated by IRCA. Using the NAWS data, we estimate a Markovian model of "migration" between agriculture, nonagricultural work, and unemployment.

In our model, rates of migration are conditional on legal status and demographic characteristics. We use four legal status categories: U.S. citizens, individuals granted amnesty under IRCA ("amnesty"), permanent residents ("green card" holders), and those who are unauthorized to work in this country ("undocumented"). We use our estimates to analyze the speed of adjustment for each of these groups.

We start by presenting a Markovian model of employment turnover in the first section. In the second section, we describe the data and present summary statistics. In the third section, we discuss our empirical results. We draw conclusions in the last section.

### **The Model**

We estimate a stationary, first-order Markov model of employment turnover (Boskin and Nold and Amemiya). At time  $t$ ,  $y_j^i(t) = 1$  if individual  $i$  is engaged in activity  $j$  ( $= 0, 1, 2$ ) and zero otherwise. The three activities are (1) working in U.S. agriculture, (2) working in a nonagricultural job, or (3) unemployed or abroad. During periods of low demand in agriculture, unemployed agricultural workers may stay in the United States looking for work ("unemployed") or return to home (for example, to Mexico), possibly for a brief visit.

The first-order Markovian model is a generalization of the qualitative response model because  $y_j^i(t)$  is a function of  $y_k^i(t-1)$ , where  $k = 0, 1, 2$  indexes an individual's status in the previous period, as well as exogenous variables. This model is completely characterized by the transition probability,  $P_{kj}^i(t) \geq 0$ , that individual  $i$  is in activity  $j$  in time period  $t$  given that person engaged in activity  $k$  in time period  $t - 1$ , and the distribution of  $y_j^i(0)$ , the initial conditions. Because the model is assumed to be stationary, the transitional relationship between any two activity states is constant over our sample period:  $P_{kj}^i(t) = P_{kj}^i$ , which is independent of  $t$ .

We summarize this information about transitional probabilities in the  $3 \times 3$  Markov matrix,  $\mathbf{P}^i = \{P_{kj}^i\}$ :

$$(1) \quad \mathbf{P}^i = \begin{pmatrix} P_{00}^i & P_{10}^i & P_{20}^i \\ P_{01}^i & P_{11}^i & P_{21}^i \\ P_{02}^i & P_{12}^i & P_{22}^i \end{pmatrix}.$$

Because each element of the matrix is a probability, the elements are nonnegative and each column sums to one. That is,  $\mathbf{P}^i \mathbf{1} = \mathbf{1}$  where  $\mathbf{1}$  is a 3-vector of ones. The columns sum to one because a worker must either remain in his or her current state,  $k$ , or move to one of the other two states,  $j \neq k$ , because the states are mutually exclusive and exhaustive.

The likelihood function of this stationary, first-order Markov model is<sup>5</sup>

$$(2) \quad L = \prod_t \prod_i \prod_k \prod_j \left( P_{kj}^i \right)^{y_k^i(t-1) y_j^i(t)}.$$

The transition probabilities depend on individual  $i$ 's exogenous characteristics,  $\mathbf{x}^i(t)$ , and that person's activity in the previous period, which is captured by  $y_1^i(t-1)$  and  $y_2^i(t-1)$ .<sup>6</sup>

If  $\mathbf{z}^i(t)$  includes both the lagged state variables and the exogenous variables, then we can estimate the state probabilities for individual  $i$ ,  $\mathbf{p}^i = (p_0^i, p_1^i, p_2^i)'$  using multinomial logit (where category 0 is the residual category) as

$$(3) \quad p_j^i = F_j(\mathbf{z}^i(t), \gamma_j) = \frac{e^{y_1^i(t-1)\alpha_{1j} + y_2^i(t-1)\alpha_{2j} + \mathbf{x}^i(t)\beta_j}}{\left( 1 + \sum_{m=1}^2 e^{y_1^i(t-1)\alpha_{1m} + y_2^i(t-2)\alpha_{2m} + \mathbf{x}^i(t)\beta_m} \right)},$$

for  $j = 1, 2$ , where  $\gamma_j = (\alpha_{1j}, \alpha_{2j}, \beta_j)'$  and  $F_j$  is a logistic function.

The probability that a worker is in activity  $j$  at time  $t$ ,  $p_j^i(t)$ , is the sum of the probabilities of being in each possible activity in the previous period,  $p_k^i(t-1)$  for  $k = 0, 1, 2$ , weighted by the appropriate transition probabilities:

$$p_j^i(t) = P_{0j}^i p_0^i(t-1) + P_{1j}^i p_1^i(t-1) + P_{2j}^i p_2^i(t-1).$$

We can rewrite this expression in matrix form as

$$(4) \quad \mathbf{p}^i(t) = \mathbf{P}^i \mathbf{p}^i(t-1),$$

where  $\mathbf{p}^i(t) \equiv (p_0^i(t), p_1^i(t), p_2^i(t))'$ .

Once we estimate the transitional probabilities  $\mathbf{P}$ , we can determine both the steady state and the adjustment path. We now consider a specific individual and drop the superscript  $i$  for notational simplicity. The stationarity assumption guarantees (Amemiya) that

$$(5) \quad \mathbf{p}(t) = \mathbf{P} \mathbf{p}(t-1).$$

By substituting repeatedly using equation (5), we obtain

$$(6) \quad \mathbf{p}(t) = \mathbf{P}^t \mathbf{p}(0).$$

If  $\lim_{t \rightarrow \infty} \mathbf{P}^t$  exists, then

$$(7) \quad \mathbf{p}^{i(\infty)} \mathbf{1}' = (\mathbf{P}^i)^{\infty},$$

where  $\mathbf{p}^{i(\infty)}$  is the vector of the equilibrium probabilities in the time limit (Amemiya).

Because the rank of  $\mathbf{I} - \mathbf{P}$  is 2, the solution is unique. After estimating the transition matrix, we calculate the steady-state matrices for various legal and demographic groups using equation 7.

## The Data Set

The National Agricultural Workers' Survey (NAWS) is a national, random sample of seasonal agricultural service (SAS) workers conducted three times a year in January, April and May, and October.<sup>7</sup> Most field workers in perishable crops, including field tasks in fruit and vegetables, nursery crops, field crops, and cash grains are SAS workers.

The NAWS uses site-area sampling to obtain a national representative cross-section. First, 73 counties in 25 states from 12 distinct agricultural regions were selected. For each interviewing cycle, interviews are conducted in a subsample of 30 randomly selected counties using weights based on the size of the seasonal agricultural payroll in each county. The number of interviews within a cycle is in proportion to the amount of SAS activity at that time of year (Mines, Gabbard, and Boccalandro). Approximately nine out of ten subjects agree to be interviewed.

The survey reports each individual's activity over approximately a two-year period preceding the date of the interview.<sup>8</sup> Thus, we know the duration of each spell of employment, unemployment, or time outside the country for the survey's historical period.

We determine an individual's employment state — employed in agriculture, not employed in this country (unemployed or out of the country), or employed in a nonagricultural job — at monthly intervals. We choose this short time interval because many farm jobs are of brief duration; some jobs would be missed were we to use a longer interval. As survey respondents were chosen based on their farm activity, we do not include their activities at the time of the interview to avoid sample selection bias.

We use a sample of 1,583 workers, which is a 20 percent random subsample of the population of workers in the survey for the years 1987-1991. Table 1 shows the means and standard deviations of these variables by legal status. Legal status, race, and ethnicity are all self-reported.<sup>9</sup> In our sample, 28 percent are citizens, 50 percent were granted amnesty, 15 percent have green cards, and 7 percent are undocumented. (The share of undocumented workers was unusually low in the years immediately after the passage of IRCA due to the amnesty program and the initial fear of unauthorized immigrants that enforcement of the law would be strict. Their share of the work force grew substantially in the 1990's.)

Most of the sample (86 percent) are Hispanic. Only 4 percent of the sample are blacks, and slightly more than half of those are native citizens.<sup>10</sup> Most of the native-born citizens speak English, have a one-third chance of being female, a two-thirds chance of being white, and a less than fifty percent chance of being Hispanic. In contrast, nonnative citizens typically cannot speak English, are slightly more likely to be female, less likely to be white, and much more likely to be Hispanic. Single male Mexicans are more likely to be in this country illegally than other groups and hence were more likely to have qualified for amnesty.

Virtually all these agricultural workers had less than a high school education. The undocumented workers' average age is 26, roughly a decade younger than the average in the other groups. Consequently, the undocumented average many fewer years of U.S. farmwork experience than those in the other groups.

## **Empirical Results**

We estimated the Markov model of migration using maximum likelihood separately for each of our four legal status groups: citizens, green card holders, workers with amnesty, and people who lack documentation to legally work in the United States.

### *Aggregation*

We used likelihood-ratio tests to determine whether we could aggregate across legal-status groups. In each case, we tested whether all the coefficients are identical with the exception of the intercept. That is, we allowed separate coefficients for each legal-status dummy variable in our aggregate equation but forced all the slope coefficients to be identical across legal-status groups.

We first tested whether all four groups could be aggregated into a single equation. We reject this hypothesis: The likelihood-ratio test statistic is 499, which exceeds the critical  $\chi^2_{.05}(123)$ .

Next, we tested the hypothesis that the three authorized worker groups (citizens, green card holders, and workers with amnesty) have identical migration equations. The likelihood-ratio test statistic is  $336 > \chi^2_{.05}(82)$ . Based on these tests, we decided to estimate separate equations for each legal-status group.

### *Migration Equations*

The multinomial logit estimates for each legal-status group are reported in table 2, where the residual category is agricultural work. For each legal-status group, both lagged state variables have relatively large positive coefficients that are statistically significantly

different than zero at the 0.05 level. Consequently, an individual's state this period is likely to be the same as in the previous period, all else the same.

The female dummy variables also tend to have relatively large coefficients in absolute value that are statistically significantly different from zero. Except for unauthorized workers, female workers are significantly more likely to not be working in the United States than are male workers. Female citizens are less likely to be in nonagricultural work.

Some of the age variables have statistically significant effects but no obvious pattern emerges. Having had some U.S. education increases the probability of not being employed and of working in a nonagricultural job for citizens. For amnesty workers, such education increases the probability of nonagricultural work. Being white increases the probability of nonagricultural work for citizens, and for workers with amnesty. Having been born in Mexico increases the probability of not being employed for unauthorized workers and for workers with amnesty but reduces this probability for green card holders.

An inability to speak or read English has statistically significant effects for citizens and workers with amnesty, suggesting that the lack of these skills are impediments to mobility for some people with legal work status. Not being able to read English reduces the probability of nonagricultural work for citizens and not being able to speak English increases the probability of not being employed for people with amnesty.

### *Marginal Effects*

We are particularly interested in how the statistically significant lagged states and gender variables affect the probabilities of being in any given state. Because the multinomial logit equation is highly nonlinear, it is difficult to interpret the effects of variables directly

from their coefficients. To analyze the effect of these independent variables on the probabilities, we calculate the marginal effects of changing one of these variables at a time. Each reported marginal effect in table 3 is the difference between the probability when the relevant dummy variable equals one minus the probability when that variable is zero, holding the other variables constant at their mean values.<sup>11</sup>

For example, table 3 shows the following marginal effects for a worker who has amnesty. All else the same, a person who was not working last period, compared to one who was employed in agriculture, is 63 percent less likely to work in agriculture this period, 62 percent more likely to not be working this period, and 1 percent more likely to be working in a nonagricultural industry this period. The comparable marginal effects for a person who worked in a nonagricultural industry last period compared to one who did not are -71 percent, -8 percent, and 79 percent, respectively. A female (compared to a male) is 9 percent less likely to work in agriculture, 9 percent more likely to be out of work, and trivially more likely to have a nonagricultural job.

The marginal effects are qualitatively similar across the three groups of authorized workers. The undocumented workers have different effects than the other groups. In particular, authorized female workers are less likely to work in agriculture and more likely to not be employed than comparable males, whereas unauthorized female workers are more likely to be employed in agriculture and less likely to be out of work than their male counterparts. The marginal effects of the lagged nonagricultural state dummy are quantitatively different from those for authorized workers.

*Estimation of Transition Probabilities*

Using the estimated lagged state variables' transition probabilities, we calculate the transpose of the transition probability matrix  $\mathbf{P}^i$ , for each legal status and gender group (equation 1):

$$\mathbf{P}^{i'} = \begin{pmatrix} P_{00}^i & P_{01}^i & P_{02}^i \\ P_{10}^i & P_{11}^i & P_{12}^i \\ P_{20}^i & P_{21}^i & P_{22}^i \end{pmatrix},$$

The sum of each row of the transposed matrix adds to one. For example, the first row of each transposed transition probability matrix are the probabilities of moving from agricultural employment in the previous period to any of the three states of employment in the current period, where  $P_{00}^i$  is the probability of staying in agriculture,  $P_{01}^i$  is the transition probability of moving from agricultural employment to nonemployment, and  $P_{02}^i$  is the transition probability of moving from agricultural employment to nonagricultural employment.

Table 4 reports transition probability matrices for each legal status and gender group (holding other variables constant at their means). The matrix in the top left corner shows the transition probabilities for a citizen. The probability that a citizen who was not employed last period works in agriculture this period,  $P_{10}^i$ , is 15.2 percent. The probability that such a person remains out of the U.S. labor market,  $P_{11}^i$ , is 81.7 percent. Finally, the probability that an unemployed individual moves into nonagricultural employment is 3.1 percent. Each of these probabilities is calculated using the estimated coefficients from the citizens' multinomial logit model (the first two columns of table 2), where the "not working" state variable is set

equal to one, the other lagged state variables are set equal to zero, and the other explanatory variables are set at their mean values.

In each of the transition matrices, the probabilities along the principal diagonal range between 60.5 percent and 91.7 percent. That is, it is very likely that an individual will remain in the same state from one month to the next. The size of the probabilities in most of the transition matrices are similar across legal-status and gender groups. In general, males and females have similar transition matrices. The largest gender difference is for unauthorized workers.

For example, an unauthorized male who worked in agriculture last month has a 87.6 percent probability of working in agriculture this month, whereas the probability is 91.7 percent for a comparable female. Consequently, the probability that such an unauthorized immigrant who worked in agriculture last month would leave agriculture this month is 12.4 percent for a male and 8.3 percent for a female. The probability that an unauthorized male who was not working last month is working in agriculture this month is 11.3 percent, compared to 16.4 percent for an unauthorized female. The probability that the male moved from a nonagricultural job to an agricultural job is 20.8 percent, while that for a female is 30.5 percent. For the other legal-status groups, the differences between males and females are smaller. We also examined transition probability matrices for other demographic divisions but found no striking differences across groups.

Our most striking result is something that we did not find. When IRCA was passed, many observers worried that formerly unauthorized workers who received amnesty would

leave agriculture, greatly driving up wages. However, table 4 shows that there is little difference among the transition matrices for workers with amnesty and those of other groups.

### *Steady-State Probabilities*

Although the transition matrices appear to differ little, those small differences matter in the steady state. Table 5 summarizes the steady probabilities for the same demographic groups as in table 4.

The first column of the table shows that the long-run probabilities that a typical male is working in agriculture in a given month is 56.2 percent for citizens, 65.0 percent for green card holders, 67.8 percent for those with amnesty, and only 48.9 percent for the unauthorized. In the long run, male citizens are much more likely to hold a nonagricultural job, 18.2 percent, than are green card holders, 3.2 percent, those with amnesty, 7.6 percent, and the unauthorized, 2.8 percent.

An unauthorized male has a much higher probability of not working, 48.3 percent, than a citizen, 25.6 percent, green card holders, 31.3 percent, or a man with amnesty, 24.6 percent. Females are more likely to not be working than males for legal workers but not for the unauthorized. The probability of a female being out of work is 47.5 percent, 44.8 percent, 40.1 percent, and 31.3 percent for citizens, green card holders, people with amnesty, and the unauthorized.

One interpretation of these results is that when an unauthorized worker was granted amnesty, the probability that that worker would be in agriculture in any given month in the long run rose from 51.9 percent to 65.1 percent across genders. The probability that a male

works in agriculture increased from 48.9 percent to 67.8 percent, but the probability for a female fell from 67.2 percent to 52.0 percent.

How long does it take to reach the steady states? Figure 1 shows the adjustment paths for our four legal-status groups given that an individual was working in agriculture in the initial period. As the figures illustrate, most of the adjustment occurs within half a year and virtually all the adjustment occurs within a year and a half.

## **Conclusions**

Agricultural workers move in and out of agriculture frequently. Adjustments (migration between types of jobs) take relatively little time.

The pattern of migration differs across gender, age, and education groups. Probably the most important demographic effect that we find is that female workers tend to stay out of the U.S. labor market longer once they stop being employed and their access to jobs outside of agriculture is more limited than that of their male counterparts.

We show that job mobility patterns differ statistically significantly by legal status. Nonetheless, we conclude that the 1986 Immigration Reform and Control Act (IRCA) had less of an effect on the agricultural labor market than was anticipated. Prior to the passage of IRCA, many farmers and legislators loudly predicted that granting amnesty to farm workers would drive them out of agriculture. We conclude that this fear was unwarranted. The transitional probabilities between job categories are virtually the same across legal status groups, indicating that the law had little short-run effect. Moreover, the steady state probability of working in agriculture is higher for someone with amnesty than for an undocumented

worker, so that IRCA increased the long-run probability that people granted amnesty stayed in agriculture.

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**Table 1 Summary Statistics**

	<i>Citizens</i>	<i>Green Card</i>	<i>Amnesty</i>	<i>Not Documented</i>
<i>Percentage (%)</i>				
Works in Agriculture	52	62	64	46
Works in Nonagriculture	31	34	26	48
Not Working	17	4	9	6
Female	38	31	19	16
Marital Status	66	85	68	37
Living with Spouse	62	76	42	14
Any U.S. Education	65	33	31	22
Doesn't Speak English	5	22	40	56
Doesn't Read English	7	30	56	67
Relative in a Nonfarm Job	78	51	41	33
White	65	47	51	54
Born in Mexico	6	88	95	86
Spring	24	24	25	24
Summer	26	26	26	26
Fall	25	25	25	25
<i>Number or Years</i>				
Children Under 14 (number)	0.98	1.22	0.99	0.16
Age (years)	36.14	37.82	32.29	25.58
Education (years)	9.47	6.16	5.12	5.78
U.S. Farmwork Experience (years)	15.25	13.89	9.20	3.76
<i>Observations</i>	10,107	5,523	17,776	2,396

Table 2 Multinomial Logit Results

<i>State:</i>	<i>Citizens</i>		<i>Green Card</i>		<i>Amnesty</i>		<i>Undocumented</i>	
	<i>Not Working</i>	<i>Nonagricul- ture</i>	<i>Not Working</i>	<i>Nonagricul- ture</i>	<i>Not Working</i>	<i>Nonagricul- ture</i>	<i>Not Working</i>	<i>Nonagri- culture</i>
Constant	-0.574 (.30)	-3.908 (.50)	-0.756 (0.46)	-6.772 (1.67)	-2.209 (0.29)	-4.737 (0.63)	-2.491 (0.90)	-7.020 (2.44)
Lagged: Not Working	3.910 (.07)	1.806 (.14)	3.057 (0.08)	1.338 (0.31)	3.128 (0.005)	1.805 (0.13)	4.081 (0.14)	2.055 (0.43)
Lagged: Worked in a Nonagricultural Industry	1.968 (.14)	5.473 (.12)	1.919 (0.30)	6.499 (0.29)	2.041 (0.13)	6.295 (0.12)	1.239 (0.40)	5.810 (0.39)
Female	0.508 (.07)	-0.254 (.11)	0.352 (0.09)	-0.033 (0.30)	0.464 (0.006)	0.184 (0.13)	-0.433 (0.23)	-0.525 (0.59)
Age	-0.041 (.02)	0.065 (.03)	-0.056 (0.02)	0.137 (0.08)	-0.006 (0.02)	0.026 (0.04)	0.0335 (0.06)	0.225 (0.16)
Age Squared	0.0004 (0.0002)	-0.001 (0.0004)	0.0007 (0.0003)	-0.001 (0.0009)	0.0002 (0.0002)	-0.0004 (0.0005)	-0.0007 (0.0009)	-0.003 (0.003)
Married	-0.111 (.14)	-0.306 (.20)	-0.229 (0.16)	-0.324 (0.48)	0.236 (0.07)	-0.078 (0.14)	0.518 (0.19)	0.266 (0.44)
Living with Spouse	-0.241 (.14)	0.057 (.20)	-0.172 (0.13)	-0.384 (0.41)	-0.291 (0.06)	-0.068 (0.14)	-0.171 (0.29)	0.109 (0.77)
Children Under 14	0.014 (.03)	-0.060 (.05)	0.065 (0.03)	0.216 (0.10)	-0.016 (0.02)	-0.006 (0.04)	0.865 (0.19)	-0.734 (0.77)
Education	-0.029 (.01)	0.019 (.02)	0.028 (0.01)	0.037 (0.04)	0.008 (0.008)	0.001 (0.02)	-0.012 (0.03)	-0.086 (0.05)

Any U. S. Education	0.296 (.07)	0.362 (.10)	0.026 (0.09)	0.280 (0.27)	0.048 (0.05)	0.372 (0.10)	0.098 (0.18)	-0.895 (0.52)
Doesn't Speak English	0.077 (.25)	0.823 (.51)	0.005 (0.15)	-0.129 (0.50)	0.108 (0.06)	0.009 (0.14)	0.120 (0.20)	-0.293 (0.53)
Doesn't Read English	-0.224 (.21)	-0.737 (.43)	-0.044 (0.13)	-0.276 (0.43)	0.047 (0.06)	-0.133 (0.13)	-0.0422 (0.20)	0.144 (0.54)
Relative in a Nonfarm Job	-0.077 (.09)	0.206 (.14)	0.145 (0.08)	0.330 (0.26)	-0.011 (0.05)	0.371 (0.10)	-0.0228 (0.16)	-0.091 (0.36)
White	-0.064 (.07)	0.282 (.11)	0.006 (0.08)	-0.222 (0.26)	0.127 (0.05)	0.274 (0.09)	0.115 (0.17)	0.139 (0.36)
Born in Mexico	0.189 (.16)	0.076 (.27)	-0.261 (0.15)	-0.162 (0.45)	0.276 (0.10)	0.095 (0.22)	0.591 (0.21)	0.949 (0.51)
U.S. Farm Work Experience	-0.023 (.01)	-0.028 (.02)	0.0154 (0.02)	-0.072 (0.05)	-0.014 (0.01)	-0.085 (0.02)	-0.114 (0.04)	-0.086 (0.16)
U.S. Farm Work Experience Squared	0.0004 (0.0002)	0.008 (0.003)	-0.0003 (0.0004)	0.001 (0.001)	-0.00003 (0.0003)	0.002 (0.0007)	0.0255 (0.002)	-0.005 (0.01)
Spring	-0.930 (.10)	-0.997 (.14)	-0.526 (0.11)	-0.385 (0.32)	-0.714 (0.06)	-0.053 (0.14)	-0.648 (0.20)	-1.081 (0.45)
Summer	-0.449 (.09)	-0.322 (.14)	-0.346 (0.11)	-0.275 (0.32)	-0.364 (0.06)	0.461 (0.13)	-0.387 (0.19)	-0.376 (0.40)
Fall	-0.238 (.09)	-0.243 (.14)	0.152 (0.10)	-0.125 (0.32)	-0.200 (0.06)	0.371 (0.13)	-0.219 (0.20)	0.009 (0.41)

*Note:* Asymptotic standard errors are shown in parentheses.

**Table 3 Marginal Effects of Selected Discrete Variables (%)**

	<i>Citizen</i>	<i>Green Card</i>	<i>Amnesty</i>	<i>Undocumented</i>
<i>Lagged State: Not Working</i>				
Agriculture	-70	-63	-63	-76
Not Working	71	63	62	76
Nonagriculture	-1	0	1	0
<i>Lagged State: Nonagriculture</i>				
Agriculture	-65	-62	-71	-44
Not Working	-10	-9	-8	-22
Nonagriculture	76	71	79	66
<i>Female</i>				
Agriculture	-8	-8	-9	11
Not Working	12	8	9	-10
Nonagriculture	-3	-0.2	0.2	0.5
<i>Mean Probabilities for the Legal</i>				
<i>Status Group</i>				
Agriculture	61	68	73	49
Not Working	30	31	24	49
Nonagriculture	9	1	3	2

*Note:* Marginal effects are evaluated at the means of the other variables.

**Table 4 Transposed Transition Probability Matrices**

<i>citizen</i>			<i>green card</i>			<i>amnesty</i>			<i>unauthorized</i>		
<i>both genders</i>											
.876	.094	.029	.860	.132	.008	.880	.107	.013	.883	.108	.008
.152	.817	.031	.233	.759	.008	.259	.718	.023	.120	.871	.009
.102	.079	.819	.119	.124	.757	.100	.093	.807	.221	.094	.685
<i>male</i>											
.888	.079	.033	.872	.120	.008	.888	.099	.013	.876	.115	.009
.177	.783	.040	.252	.738	.009	.276	.700	.024	.113	.878	.009
.096	.061	.843	.120	.112	.768	.104	.089	.808	.208	.094	.698
<i>female</i>											
.850	.126	.024	.830	.162	.008	.837	.148	.014	.917	.078	.005
.117	.863	.020	.192	.801	.007	.194	.785	.020	.164	.828	.008
.113	.119	.768	.117	.156	.727	.085	.116	.799	.305	.090	.605

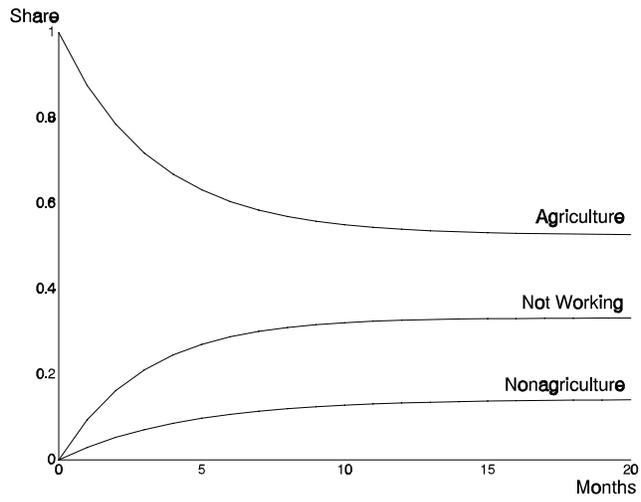
*Note:* The transition probabilities,  $P_{kj}^i$  (probability that worker  $i$  moved from activity  $k$  last period to activity  $j$  this period), are evaluated at the means of the other variables. Within each  $3 \times 3$  matrix, the first row and column refers to agriculture, the second to nonemployment, and nonagricultural employment. For example, the first element in the first row is the probability that a worker who was in agriculture in the previous period is still in agriculture this period. The second element in the first row is the probability that the worker moved from agriculture last period to nonemployment this period.

**Table 5 Steady States**  
Probability (%) of Being in Each State

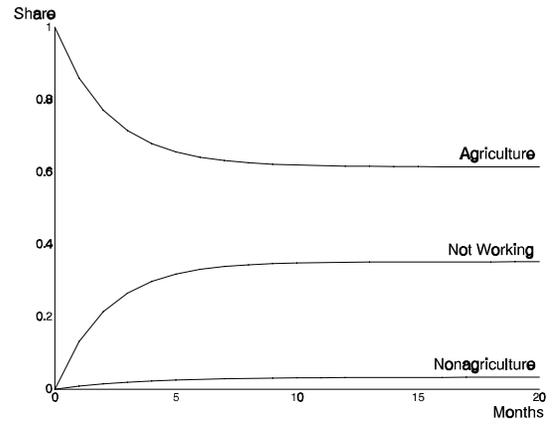
	<i>Agriculture</i>	<i>Not Working</i>	<i>Nonagriculture</i>
Citizen	52.6	33.2	14.2
Male	56.2	25.6	18.2
Female	43.7	47.5	8.8
Green Card	61.5	35.2	3.3
Male	65.0	31.3	3.6
Female	52.5	44.8	2.6
Amnesty	65.1	27.2	7.7
Male	67.8	24.6	7.6
Female	52.0	40.1	7.8
Unauthorized	51.9	45.5	2.6
Male	48.9	48.3	2.8
Female	67.2	31.3	1.5

*Note:* These probabilities are evaluated at the means of the other variables.

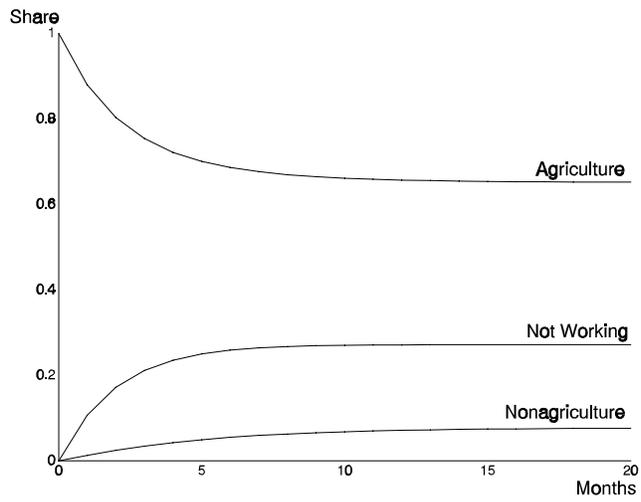
(a) Citizen



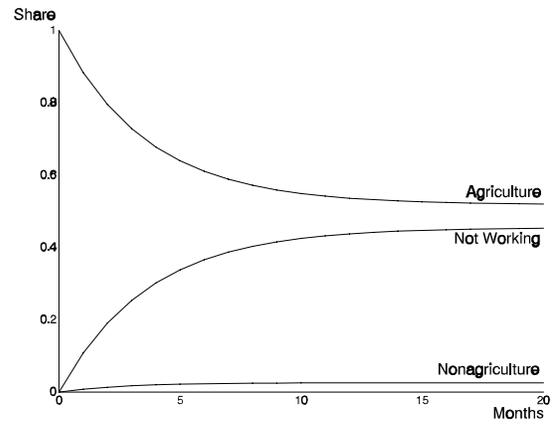
(b) Green Card



Unauthorized



(c) Amnesty



(d)

Figure 1 Adjustment Paths

**Footnotes**

1. See Sandoval. In 2000, several similar measures were debated and one minor change in immigration law was passed.

2. Undocumented aliens who could establish continuous residence in the United States from January 1, 1982 could apply for general amnesty by May 4, 1988. They received temporary legal status for 2½ years and then could obtain permanent resident (green card) status. We concentrate on the SAW program. Seasonal Agricultural Workers (SAWs) who could establish they worked for 90 days continuously in field work between May 1, 1985 and May 1, 1986 could obtain amnesty if they applied by November 30, 1988. SAWs received temporary work authorization status, then legal temporary resident status, and then legal permanent resident (green card) status. This entire process took at least one year and normally two or more years. Aliens with temporary or permanent status could live and work anywhere and at any job within the United States.

3. *Los Angeles Times*. Economists, of course, argued that wages would rise to clear the labor market eliminating labor shortages. As usual, industry representatives responded that (*Washington Post*) "industries where the illegal aliens worked will not be competitive if they are forced to pay higher wages."

4. The data set we use was financed by IRCA for the to determine the supply of agricultural workers as part of the process of deciding whether to admit guest workers.

5. We would have to include the initial probabilities,  $\mathbf{p}^i(0) = (p_0^i(0), p_1^i(0), p_2^i(0))'$ , in the likelihood function were they not known.

6. Because a worker must have been in one of the three activities in the previous period, we do not include  $y_0^i(t-1)$  in the equation because it equals  $1 - y_1^i(t-1) - y_2^i(t-1)$ .

7. Employer names were obtained from the Bureau of Labor Statistics, the Agricultural Soil and Conservation Service, and Farm Labor Contractor Registration lists, as well as from other sources. NAWS Regional Coordinators contacted randomly selected employers, explained the purpose of the survey, and obtained access to the work site to schedule worker interviews. Workers were then selected randomly and interviewed outside of work hours at the worker's home or at another location selected by the worker.

8. The survey question asked about the two calendar years prior to the earliest possible interview. Thus, for those workers who were interviewed toward the end of the year, we have a history of nearly three years. This variation is not a problem in our estimation procedure if our maintained assumption is correct that there are no sources of unobserved heterogeneity.

9. Workers were assured that they would not be reported to the authorities if they admitted to being here illegally. A series of questions were used to check for obvious inaccuracies in legal status. Some of these individuals may have forged documents (such as green cards). If employers viewed these documents as reliable, however, a forged document and a legitimate document would have the same effect on wages. Documents that establish identity and employment eligibility include a valid passport, a certificate of U. S. Citizenship, a certificate of Naturalization, a Temporary Resident Card, an Employment Authorization card, a Resident Alien card, or an Alien Registration Receipt card (Rosenberg, Horowitz, and Egan).

10. The residual racial group after removing whites and blacks consists primarily (91 percent) of Hispanics who do not classify themselves as either white or black. Approximately 5 percent are Asians and 2 percent are Native Americans. Black, Asian, and Native Ameri-

can dummy variables were not included because these groups were not represented in all of the legal status categories.

11. The marginal effects of changing continuous variables are (ignoring the observation superscript)  $\partial P_j / \partial \mathbf{z}_j = P_j(1 - P_j)\gamma$  and  $\partial P_j / \partial \mathbf{z}_k = -P_j P_k \gamma$ .